On the Benefits of Being Optimistic and Relaxed

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What is computing?





memory tape





















$$S = \frac{1}{1 - p + p / n}$$

Amdahl's Law

- p fraction of the work that can be done in parallel (no synchronization), 1-p for synchronization
- *n* the number of processors



For n=9, p=9/10, S=5! S<9, regardless of n!

Minimizing synchronization costs is crucial!

But...

- Concurrent programming is hard
 - ✓A new algorithm worth a PhD (or a paper at least)
- Sequential programming is "easy"
 - ✓ e.g., for data structures (queues, trees, skip lists, hash tables,...)
- What about a "wrapper" that allows for running sequential operations concurrently?
 ✓Let the wrapper care about conflicts
- How? Locks, transactional memory...

Our contribution

- What it means to share a sequential program
 ✓Locally serializable (LS) linearizability
- What it means for sharing to be efficient

 Relative concurrency of different synchronization techniques (e.g., locks vs. TMs)
- What are the benefits of being relaxed and optimistic
 Type-specific (relaxed) consistency and transactional (optimistic) concurrency control supersede both

Correctly sharing sequential code?

Given a sequential implementation P of a data structure type T, provide a concurrent one that:

 Locally appears sequential – the user simply runs the sequential code of P
 ✓Local serializability

 Globally makes sense – the high-level operations give consistent global order wrt T

✓Linearizability [нw90]

Example: Integer Set

Type: Integer Set:

- boolean insert(x)
- boolean remove(x)
- boolean contains(x)

Implemented sequentially as a sorted linked list:

$$(h) \rightarrow 2 \rightarrow 5 \rightarrow \dots \qquad 7 \rightarrow 9 \rightarrow t$$

Linearizable histories



The history is equivalent to a legal sequential history on a set (real-time order preserved)

Linked-list for Integer Set: sequential implementation

- 5: Locate(s): 6: $prev \leftarrow Head$ 7: $curr \leftarrow prev.next$ 8: while $(curr.val < s \lor curr = Tail)$ do 9: $prev \leftarrow curr$ 10: $curr \leftarrow curr.next$ 11: end while
- 12: **return** $\langle prev, curr \rangle$
- 13:Contains(s):14: $\langle prev, curr \rangle \leftarrow \mathsf{Locate}(s)$ 15:if curr.val = s then16: $result \leftarrow$ true17:else18: $result \leftarrow$ false19:return result

20:	Insert(s):
21:	$\langle prev, curr angle \leftarrow Locate(s)$
22:	if $curr.val \neq s$ then
23:	$X_s \leftarrow new-node(s)$
24:	$X_s.next \leftarrow curr$
25:	$prev.next \leftarrow X_s$
26:	$\mathbf{return} \ ok$

27:	Remove(s):
28:	$\langle prev, curr \rangle \leftarrow Locate(s)$
29:	if $curr.val = s$ then
30:	$curr.marked \leftarrow true$
31:	<pre>// Mark node for removal</pre>
32:	$prev.next \leftarrow curr.next$
33:	$\mathbf{return} \ ok$

As is?



Insert(5)

Not LS-linearizable: locally serializable, but not linearizable...



- protect data items (critical sections),
- provide roll-backs (transactions)

Locking schemes for a linked-list



Coarse-grained locking





Optimistic wrapper for a linked-list





startTxn

```
27: Remove(s):

28: \langle prev, curr \rangle \leftarrow \text{Locate}(s)

29: if curr.val = s then

30: curr.marked \leftarrow true

31: // Mark node for removal

32: prev.next \leftarrow curr.next

33: return ok

tryCommit
```

Plenty of STMs exist:

- Opaque
- Strictly serializable
- Elastic

What about efficiency?

"Amount of concurrency": the sets of accepted schedules (orderings of sequential steps)

✓ Each (correct) implementation accepts a subset of schedules

✓The more schedules are accepted the better

Which technique provides most concurrency?

Relaxation vs. Optimism

PL: deadlock-free (fine-grained) lock-based*M*: strongly consistent (serializable) TMs*R*: relaxed (data-type-aware) TMs



 $M \not\preceq_{(LL,set)} PL$







Accepted by hand-over-hand

 \checkmark p₁ and p₃ are consistent with different serializations

But not serializable!





- T₁->T₂ (T₁ read X₁ before T₂ updated it)
- T₂->T₃ (T₃ sees the effect of T₂)
- $T_3 \rightarrow T_1$ (T_1 sees the effect T_3)

 $PL \not\preceq_{(LL,set)} M$



No writes: accepted by M

- Both ops are about to write: rejected by M (at least one txn aborts)
- But must be accepted by PL too!



$$M \prec_{(LL,set)} R \qquad PL \prec_{(LL,set)} R$$

- R accepts every observable correct schedule of (LL,set)
- R accepts the linearizable but not serializable schedules of non-conflicting updates (1)
- R accepts the potentially conflicting-update schedule (2)



Results and implications

- What is a correct concurrent wrapper?
 ✓LS-linearizability
- How to measure relative efficiency of concurrent wrappers?

✓ Accepted schedule sets

- Benefits of relaxation and optimism formally captured
- A language to reason about the "best" synchronization technique, the "most suitable" data structure

Open questions

- Extend the results to more general classes of types, data structures
- Workload analysis: which schedules are relevant?
- What concurrency tells us? The cost of concurrency?

Details: http://arxiv.org/abs/1203.4751

Distributed ≠ Parallel

 The main challenge is efficient and robust synchronization

 "you know you have a distributed system when the crash of a computer you've never heard of stops you from getting any work done" (Lamport)



Merci beaucoup!