INF346: Distributed Systems

Theory and Practice

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Administrivia

- Langue français ou anglais?
- Lectures: Mon (8:30-11:45), Wed (8:30-11:45), Fri (13:30-16:45), check EOLE for exact time/place
- Exercises (TDs and TPs): 6.03, 23.03, 27.03
- Paper presentations: 22.04
- Exam: 24.04
- Two parts: algorithms (Petr Kuznetsov) and systems (Remi Sharrock)
- Web page: http://perso.telecom-paristech.fr/~kuznetso/ INF346-2015/
- Office hours:
 - ✓ Petr Kuznetsov: C213-2, appointment by email: <u>petr.kuznetsov@telecom-paristech.fr</u>
- Credit = 2/3 exam + 1/3 bibliographic project
 - ✓ Papers to present on the course web page
 - \checkmark Bonus for participation and lecture notes bugs



Literature

- Lecture notes: Concurrent computing http://perso.telecom-paristech.fr/~kuznetso/MPRI13/book-In.pdf
- M. Herlihy and N. Shavit. The art of multiprocessor programming. Morgan Kaufman, 2008
- Lynch, N: Distributed Algorithms. Morgan Kaufmann Publishers, 1996.
- H. Attiya, J. Welch. Distributed Computing: Fundamentals, Simulations and Advanced Topics (2nd edition). Wiley. 2004



What is computing?



What is done by a Turing machine



Alan Turing 1912 – 1954





Not well adjusted to concurrency?

Computation as interaction



Robin Milner 1934-2010



This course is about distributed computing: independent sequential processes that communicate



Concurrency is everywhere!



- Multi-core processors
- Sensor networks
- Internet
- Basically everything related computing



Communication models

- Shared memory
 - ✓ Processes apply (read–write) operations on shared variables
 ✓ Failures and asynchrony
- Message passing
 ✓ Processes send and receive messages
 ✓ Communication graphs
 ✓ Message delays







Moore's Law and CPU speed





Clock speed deadend

Memory wall

✓ Performance gap between memory and CPU

- ILP wall
 - ✓Not enough work to spend the cycles
- Power wall

✓Thermal problems caused by higher clock speeds





The case against the "washing machine science"

- Single-processor performance does not improve
- But we can add more cores
- Run concurrent code on multiple processors

Can we expect a proportional speedup? (ratio between sequential time and parallel time for executing a job)







Example: painting in parallel

- 5 friends want to paint 5 equal-size rooms, one friend per room
 - \checkmark Speedup = 5



• What if one room is twice as big?





Amdahl's Law



- p fraction of the work that can be done in parallel (no synchronization)
- n the number of processors
- Time one processor needs to complete the job = 1

$$S = \frac{1}{1 - p + p / n}$$



Painting in parallel

- Assigning one painter to one room, 5/6 of the work can be performed in parallel.
- Parallel execution time = 1-5/6+1/6 = 1/6+1/6 = 2/6 = 1/3

S = 1/(1/3) = 3

• Can be worse: 10 rooms, 10 painters, one room twice bigger

S = 1/(1-10/11+1/11) = 11/2 = 5.5

• But >90% of the work can be parallelized!

Cannot be better than 11, regardless of the number of processors!



A better solution

- When done, help the others
 - ✓ All 5 paint the remaining half-room in parallel
- Communication and agreement is required!
- This is a hard task



 And this is exactly what synchronization algorithms try to achieve!





Challenges

- What is a correct implementation?
 ✓ Safety and liveness
- What is the cost of synchronization?
 ✓Time and space lower bounds
- Failures/asynchrony

✓ Fault-tolerant concurrency?

How to distinguish possible from impossible?
 ✓Impossibility results



Distributed ≠ Parallel

The main challenge is synchronization

 "you know you have a distributed system when the crash of a computer you' ve never heard of stops you from getting any work done" (Leslie Lamport)





History

- Dining philosophers, mutual exclusion (Dijkstra)~60's
- Distributed computing, logical clocks (Lamport), distributed transactions (Gray) ~70' s
- Consensus (Lynch) ~80' s
- Distributed programming models, since ~90's
- Multicores now



Why theory of distributed computing?



- Every computing system is distributed
- Computing getting mission-critical
 ✓Understanding fundamentals is crucial
- Intellectual challenge
 ✓ A distinct math domain?



Outline

- I. Synchronization problems
- II. Correctness: safety and liveness
- III. Read-write and snapshot memory
- IV. Consensus
- v. Transactional memory
- vi. CAP theorem, synchrony assumptions
- vII. Strong consistency: Paxos
- viii. Semantic-aware consistency: operational transformation
- IX. Advanced topics in distributed computing (SDN,...)



Real concurrency--in which one program actually continues to function while you call up and use another--is more amazing but of small use to the average person. How many programs do you have that take more than a few seconds to perform any task?

New York Times, 25 April 1989, in an article on new operating systems for IBM PC



Synchronization, blocking and non-blocking

INF346, 2015

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Why synchronize ?

- Concurrent access to a shared resource may lead to an inconsistent state
 - \checkmark E. g., concurrent file editing
 - Non-deterministic result (race condition): the resulting state depends on the scheduling of processes



- Concurrent accesses need to be synchronized
 ✓ E. g., decide who is allowed to update a given part of the file at a given time
- Code leading to a race condition is called critical section

✓ Must be executed sequentially

• Synchronization problems: mutual exclusion, readerswriters, producer-consumer, ...





Dining philosophers (Dijkstra, 1965)



Edsger Dijkstra 1930-2002

- To make progress (to eat) each process (philosopher) needs two resources (forks)
- Mutual exclusion: no fork can be shared
- Progress conditions:
 - Some philosopher does not starve (deadlockfreedom)
 - ✓No philosopher starves (starvation-freedom)



Mutual exclusion

- No two processes are in their critical sections (CS) at the same time
- ╋
- Deadlock-freedom: at least one process eventually enters its CS
- Starvation-freedom: every process eventually enters its CS
 ✓ Assuming no process blocks in CS or Entry section
- Originally: implemented by reading and writing
 ✓ Peterson's lock, Lamport's bakery algorithm
- Currently: in hardware (mutex, semaphores)



Peterson's lock: 2 processes

P1:

```
bool flag[0] = false;
bool flag[1] = false;
int turn;
```

P0:



Peterson's lock: $N \ge 2$ processes

```
// initialization
level[N] = -1; // current level of processes 0...N-1
waiting[N-1] = -1; // the waiting process of each level 0...N-2
```

```
// code for process i that wishes to enter CS
for (m = 0; m < N-1; ++m) {
    level[i] = m;
    waiting[m] = i;
    while(waiting[m] == i &&(exists k ≠ i: level[k] ≥ m)) {
        // busy wait
    }
}
// critical section
level[i] = -1; // exit section</pre>
```



Bakery [Lamport'74, simplified]

```
// initialization
flag: array [1..N] of bool = {false};
label: array [1..N] of integer = {0}; //assume no bound
// code for process i that wishes to enter CS
flag[i] = true; //enter the "doorway"
label[i] = 1 + max(label[1], ..., lebel[N]); //pick a ticket
while (for some k \neq i: flag[k] and (label[k],k)<<(label[i],i));
// wait until all processes "ahead" are served
...
// critical section
...
flag[i] = false; // exit section
```

Processes are served in the "ticket order": first-come-first-serve



Readers-writers problem

- Writer updates a file
- Reader keeps itself up-to-date
- Reads and writes are non-atomic!

Why synchronization? Inconsistent values might be read

```
Writer Reader
T=0: write("sell the cat")
T=2: write("wash the dog")
T=3: read("... the dog")
```

Sell the dog?



Producer-consumer (bounded buffer) problem

- Producers **put** items in the buffer (of bounded size)
- Consumers get items from the buffer
- Every item is consumed, no item is consumed twice (Client-server, multi-threaded web servers, pipes, ...)

Why synchronization? Items can get lost or consumed twice:





Synchronization tools

- Busy-waiting (TAS)
- Semaphores (locks), monitors
- Nonblocking synchronization
- Transactional memory



Busy-wait: Test and Set

TAS(X) tests if X = 1, sets X to 1 if not, and returns the old value of X
 ✓ Instruction available on almost all processors







Busy-wait: Test and Set



Problems:

- busy waiting
- no record of request order (for multiple producers and consumers)



Semaphores [Dijkstra 1968]: specification

 A semaphore S is an integer variable accessed (apart from initialization) with two atomic operations P(S) and V(S)

✓ Stands for "passeren" (to pass) and "vrijgeven" (to release) in Dutch

 The value of S indicates the number of resource elements available (if positive), or the number of processes waiting to acquire a resource element (if negative)

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Semaphores: implementation

}

S is associated with a composite object:

- ✓ S.counter: the value of the semaphore
- S.wq: the waiting queue, memorizing the processes having requested a resource element

```
Init(S,R_nb) {
  S.counter=R nb;
  S.wq=empty;
}
P(S) {
  S.counter--;
  if S.counter<0{
   put the process in S.wq and wait until
  READY;}
}
V(S) {
  S.counter++
  if S.counter>=0{
```

mark 1st process in S.wq as READY;}



Lock

- A semaphore initialized to 1, is called a **lock** (or **mutex)**
- When a process is in a critical section, no other process can come in

| Producer | Consumer |
|-------------------------------|--------------------------------|
| while (counter==MAX); | <pre>while (counter==0);</pre> |
| • • • | • • • |
| <pre>buffer[in] = item;</pre> | <pre>item = buffer[out];</pre> |
| ••• | • • • |
| P(S); | P(S); |
| counter++; | counter; |
| V(S) | V(S); |
| | • • • |

shared semaphore S := 1

Problem: still waiting until the buffer is ready



Semaphores for producer-consumer

• 2 semaphores used :

✓ empty: indicates empty slots in the buffer (to be used by the producer)

✓ full: indicates full slots in the buffer (to be read by the consumer)

| Producer | Consumer | |
|---|--|--|
| <pre>P(empty) buffer[in] = item; in = (in+1) % MAX; V(full)</pre> | <pre>P(full); item = buffer[out]; out=(out+1) % MAX; V(empty);</pre> | |





Potential problems with semaphores/locks

- **Blocking**: progress of a process is conditional (depends on other processes)
- **Deadlock:** no progress ever made

| Process 1 | Process 2 |
|------------------|------------------|
| • • • | • • • |
| P(X1) | P(X2) |
| P(X2) | P(X1) |
| critical section | critical section |
| V(X2) | V(X1) |
| V(X1) | V(X2) |
| • • • | • • • |

X1:=1; X2:=1

• **Starvation**: waiting in the waiting queue forever



Other problems of blocking synchronization

- Priority inversion
 - ✓ High-priority threads blocked
- No robustness
 - ✓ Page faults, cache misses etc.
- Not composable

Can we think of anything else?



Non-blocking algorithms

A process makes progress, regardless of the other processes

shared buffer[MAX]:=empty; head:=0; tail:=0;

Т

| Producer put(item) | Consumer get() |
|---|--|
| <pre>if (tail-head == MAX){ return(full);</pre> | <pre>if (tail-head == 0){ return(empty);</pre> |
| } buffer[tail%MAX]=item; tail++; | } item=buffer[head%MAX]; head++; |
| return(<i>ok</i>); | return(item); |

Problems:

- works for 2 processes but hard to say why it works ☺
- multiple producers/consumers? Other synchronization pbs? (stay in class to learn more)



Transactional memory

 Mark sequences of instructions as an atomic transaction, e.g., the resulting producer code:

atomic {

```
if (tail-head == MAX){
return full;
}
items[tail%MAX]=item;
tail++;
```

return *ok*;

}

- A transaction can be either committed or aborted
 - ✓ Committed transactions are **serializable**
 - \checkmark Let the transactional memory (TM) care about the conflicts
 - \checkmark Easy to program, but performance may be problematic



Summary

- Concurrency is indispensable in programming:
 - \checkmark Every system is now concurrent
 - ✓ Every parallel program needs to synchronize
 - ✓ Synchronization cost is high ("Amdahl's Law")
- Tools:
 - ✓ Synchronization primitives (e.g., monitors, TAS, CAS, LL/SC)
 - ✓ Synchronization libraries (e.g., java.util.concurrent)
 - ✓ Transactional memory, also in hardware (Intel Haswell, IBM Blue Gene,...)
- Coming next:
 - ✓ Nonblocking synchronization using read-write memory
 - ✓ Read-write transformations and snapshot memory



Quiz

 What if we reverse the order of the first two lines the 2process Peterson's algorithm

| P0: | P1: |
|----------------------------|----------------------------|
| turn = 1; | turn = 0; |
| <pre>flag[0] = true;</pre> | <pre>flag[1] = true;</pre> |
| | |

Would it work?

- Prove that Peterson's N-process algorithm ensures:
 - ✓ mutual exclusion: no two processes are in the critical section at a time
 - ✓ starvation freedom: every process in the trying section eventually reaches the critical section (assuming no process fails in the trying, critical, or exit sections)
- Show that the bounded (black-white) Bakery algorithm in correct



Bakery [Lamport'74, original]

```
// initialization
flag: array [1..N] of bool = {false};
label: array [1..N] of integer = {0}; //assume no bound
// code for process i that wishes to enter CS
flag[i] = true; //enter the doorway
label[i] = 1 + max(label[1], ..., lebel[N]); //pick a ticket
flag[i] = false; //exit the doorway
for j=1 to N do
          while (flag[j]); //wait until j is not in the doorway
          while (label[j]≠0 and (label[j],j)<<(label[i],i));
          // wait until j is not "ahead"
•••
// critical section
...
label[i] = 0; // exit section
```

Ticket withdrawal is "protected" with flags: a very useful trick



Black-White Bakery [Taubenfeld'06]

```
// initialization
color: {black,white};
flag: array [1..N] of bool = {false};
label[1..N]: array of type {0,...,n} = {0} //bounded ticket numbers
mycolor[1..N]: array of type {black,white}
// code for process i that wishes to enter CS
flag[i] = true; //enter the "doorway"
mycolor[i] =color;
label[i] = 1 + max({label[j]| j=1,...,N: mycolor[i]=mycolor[j]});
flag[i] = false; //exit the "doorway"
for j=1 to N do
   while (flag[j]);
   if mycolor[j]=mycolor[i] then
      while (label[j]≠0 and (label[j],j)<<(label[i],i) and mycolor[j]=mycolor[i] );
   else
      while (label[j]\neq 0 \text{ and } mycolor[i]=color \text{ and } mycolor[j] \neq mycolor[i]);
// wait until all processes "ahead" of my color are served
...
// critical section
•••
If mycolor[i]=black then color = white else color - black;
label[i] = 0; // exit section
```

Colored tickets => bounded variables!

